

FAST INTERACTIONS WITH SURFACES

COHERENCE & DECOHERENCE

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OUTLINE

FAST ATOM DIFFRACTION

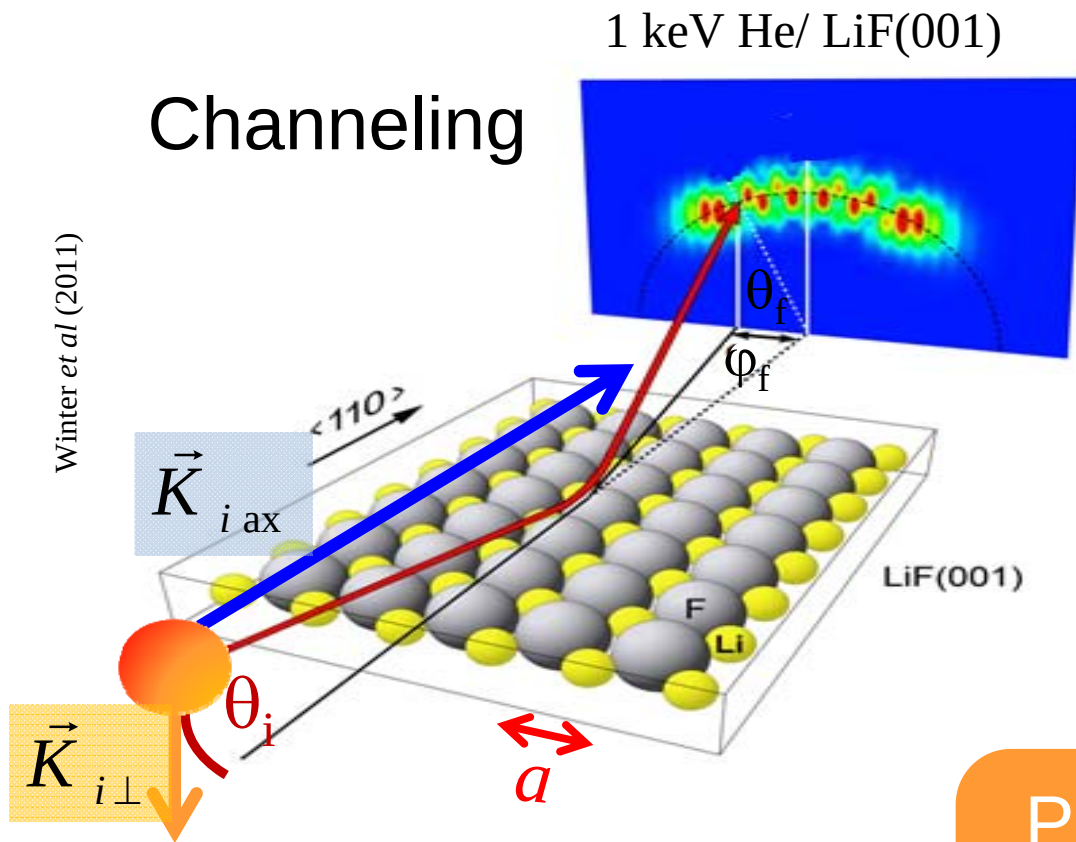
- General features
- Semi-quantum method
- Coherent lighting:
van Cittert-Zernike theorem
- *Transversal* coherence effects:
slit width, energy, and crystal spotting
- *Axial* coherence effects:
normal momentum spread
- Decoherent contributions:
influence of the temperature

OUTLINE

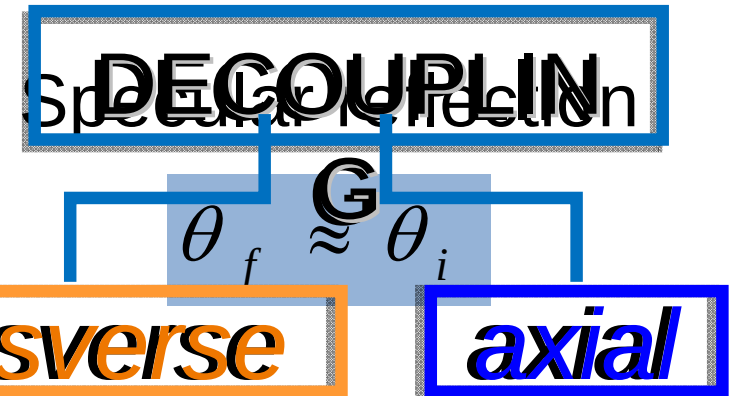
- SURFACE ANALYSIS with:
fast atoms and laser pulses

- **FINAL REMARKS**

FAST ATOM DIFRACTION



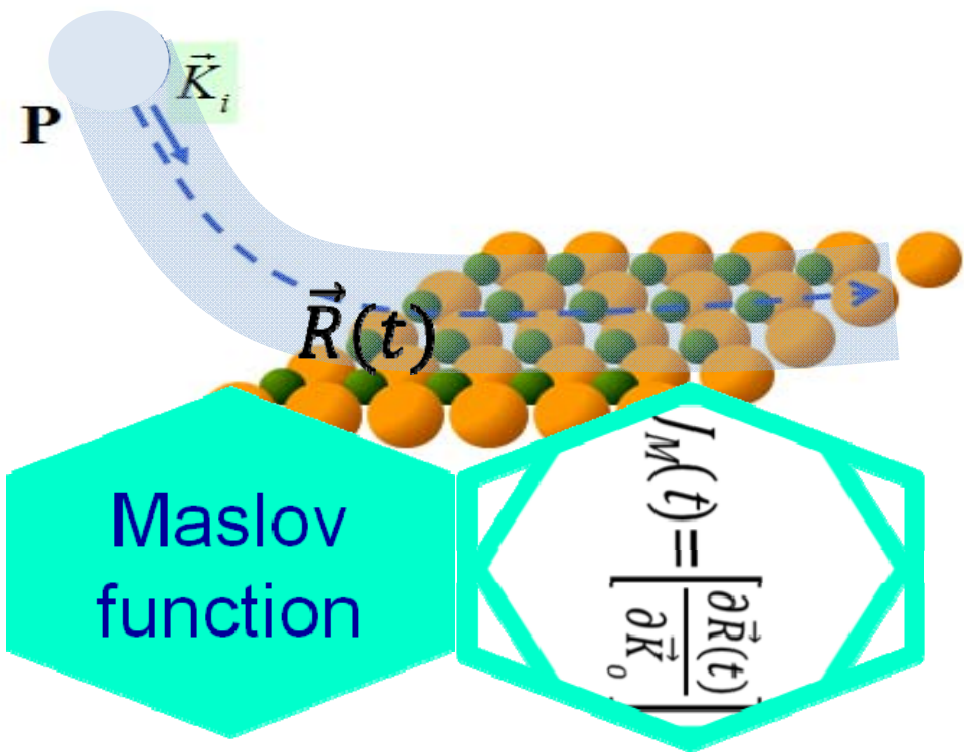
$$\lambda = \frac{2\pi}{K_i} \cong 0.008 \text{ a.u.} \ll a \cong 4 \text{ a.u.}$$



Perpendicular motion

$$\lambda_{\perp} = \frac{2\pi}{K_{i\perp}} \cong 0.4 \text{ a.u.}$$

Surface Initial Value Representation (SIVR)



Based on the IVR method by Miller (1970)

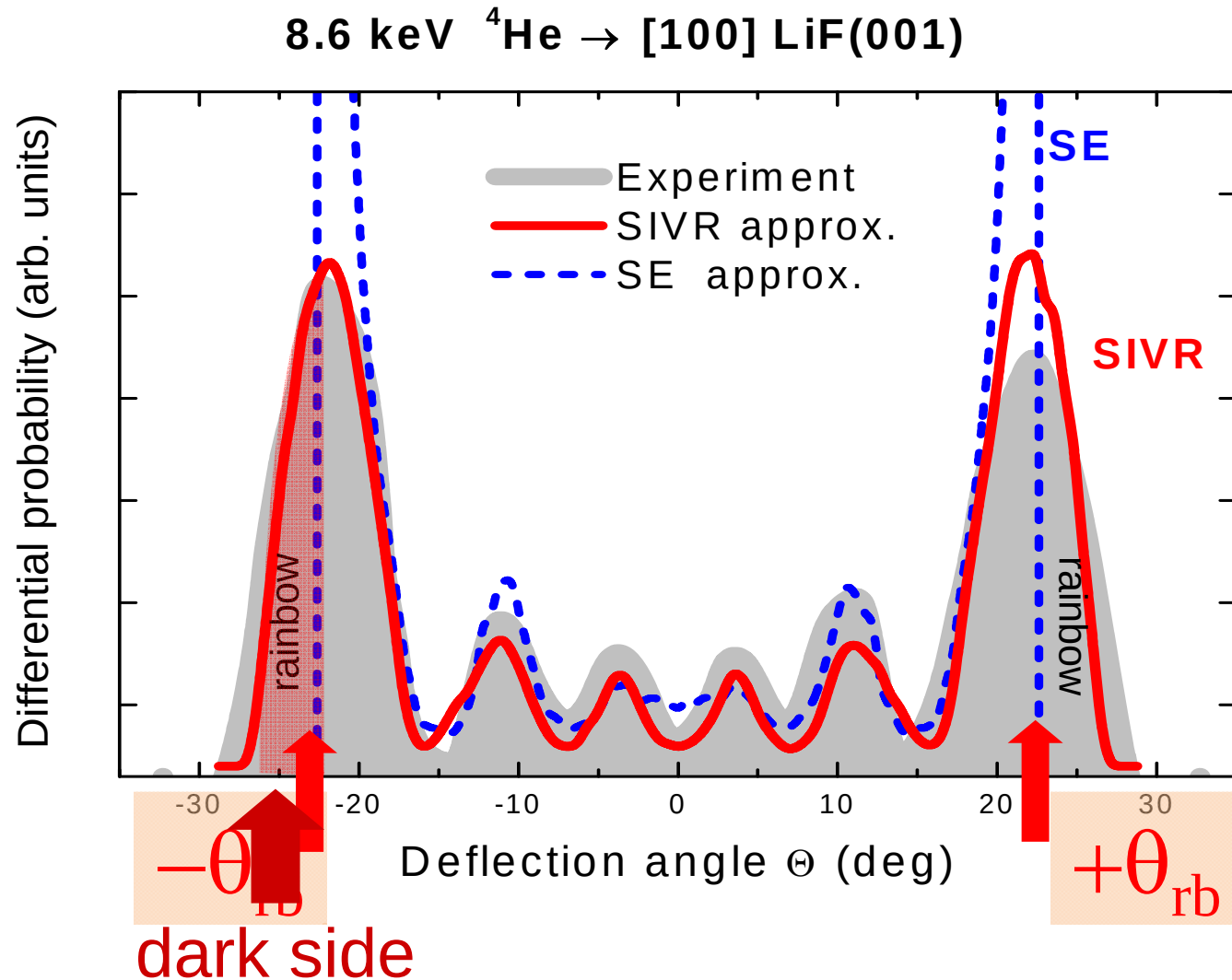
Feynman path integral
formulation

Semi-quantum method
without the stationary phase approx.

QUANTUM INTERFERENCE OF
TRANSITION AMPLITUDES

Classically forbidden
transitions

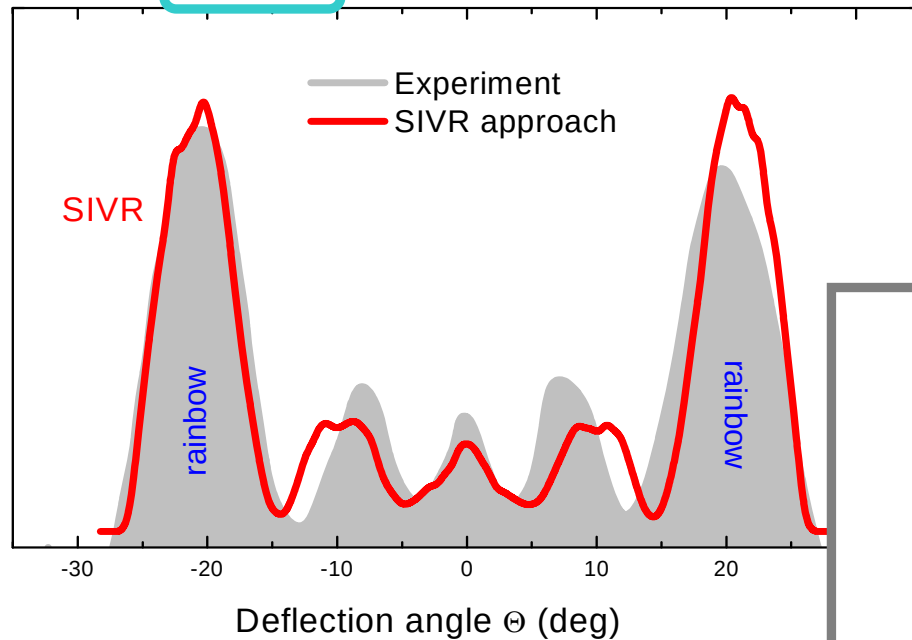
Surface Initial Value Representation (SIVR)



Surface Initial Value Representation (SIVR)

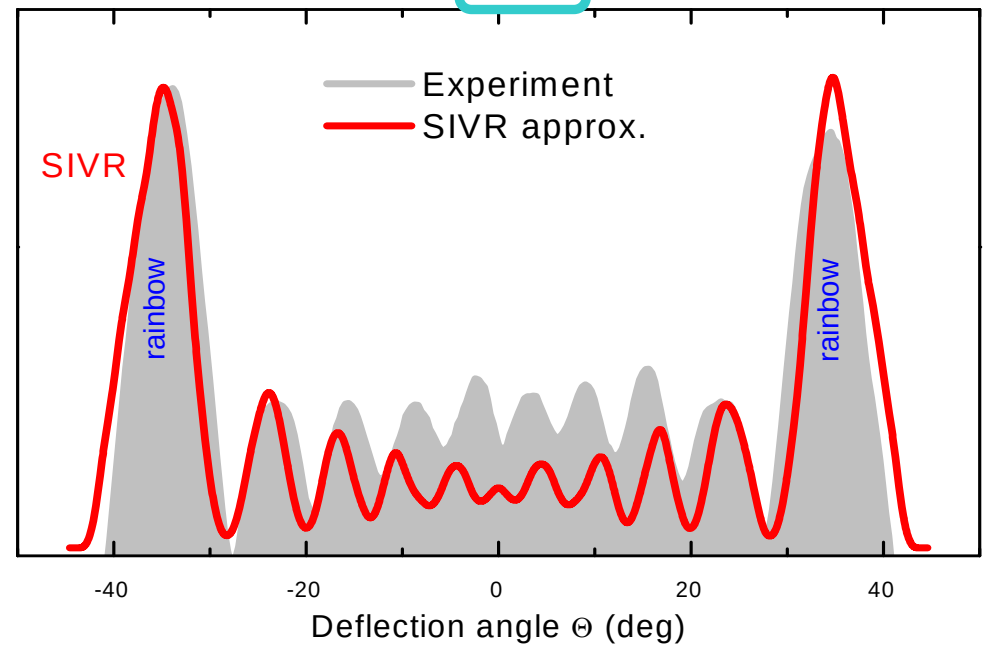
7.3 keV $^4\text{He} \rightarrow [100] \text{LiF}(001)$

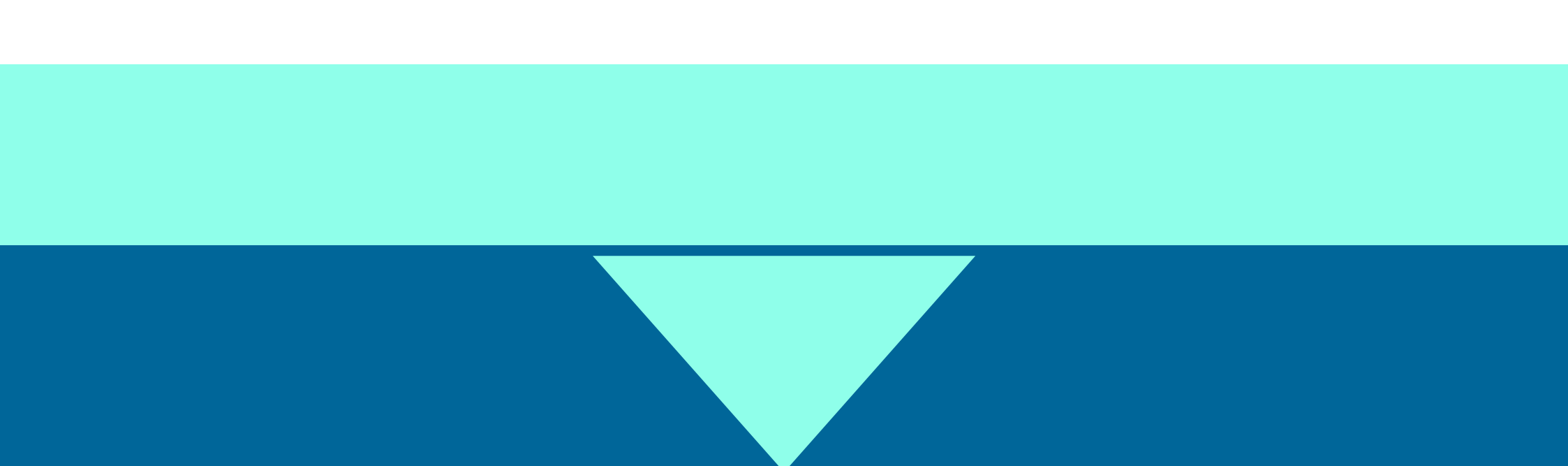
Differential probability (arb. units)



7.5 keV $^4\text{He} \rightarrow [110] \text{LiF}(001)$

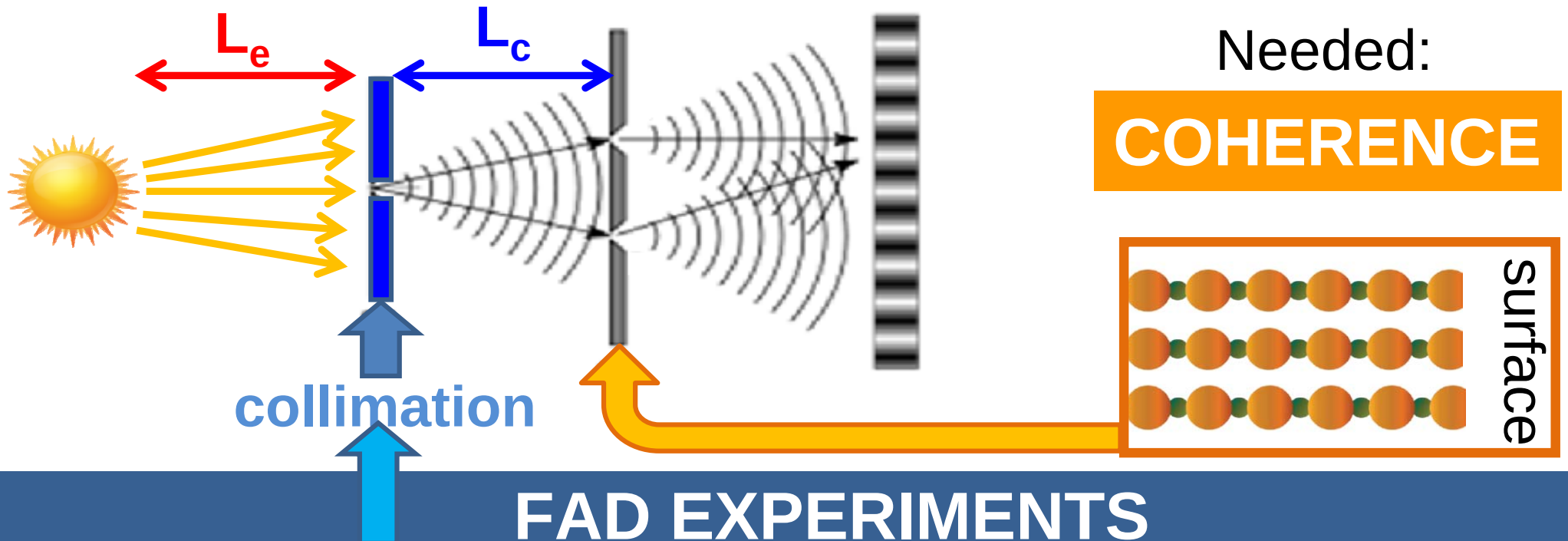
Differential probability (arb. units)



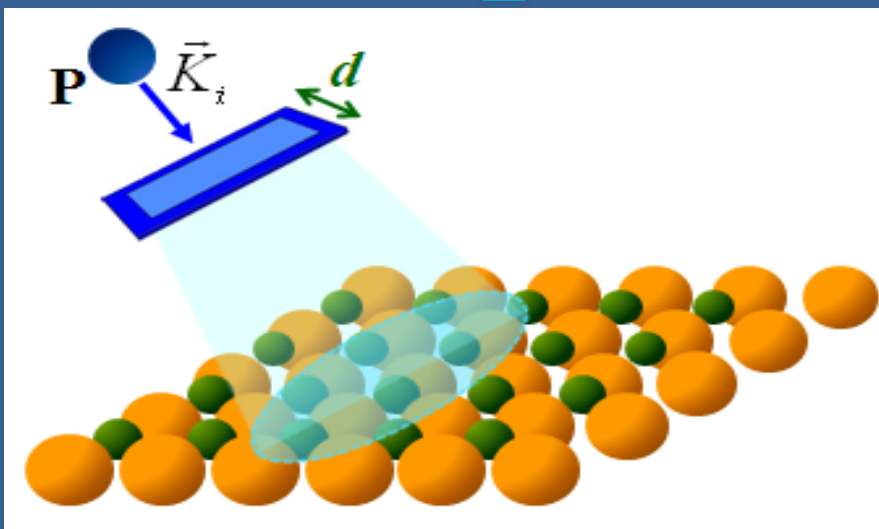


COHERENT LIGHTING

Atom interferometry



<https://wikipedia.org>



1 keV He atoms: $\lambda \cong 0.5 \text{ pm}$

$$L_e, L_c \leq \frac{d^2}{\lambda}$$

Near-field regime
(Fresnel)

The van Cittert-Zernike theorem (1938)

“The wavefront from an incoherent extended quasi-monochromatic source will appear mostly coherence at large distances”

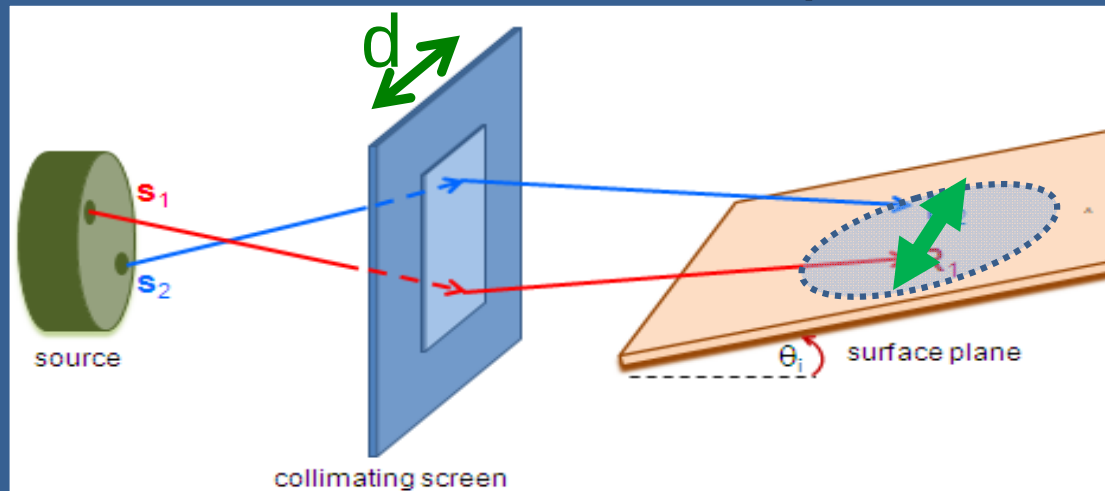
Knox, Alonso and Wolf, Phys. Today **63**, 11 (2010)



coherent waves

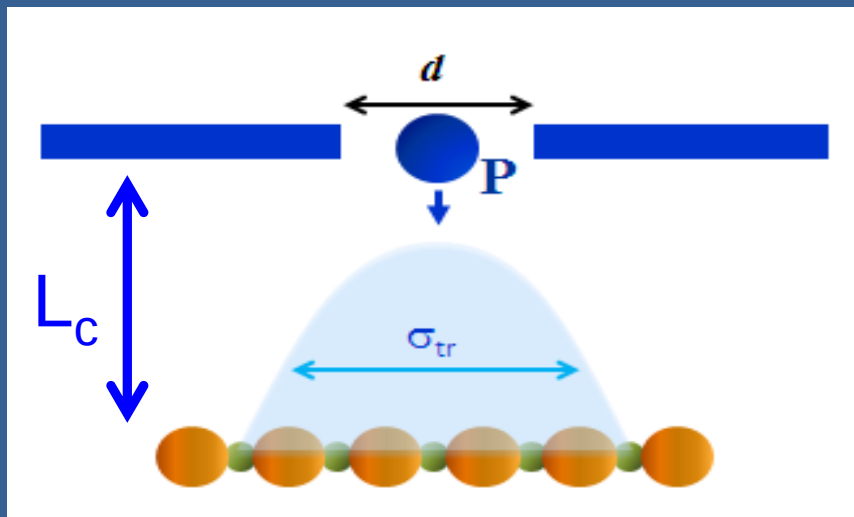
Degree of coherence: van Cittert-Zernike

Extended incoherent quasi-monochromatic source



Size of the wave packet:

Complex degree of coherence

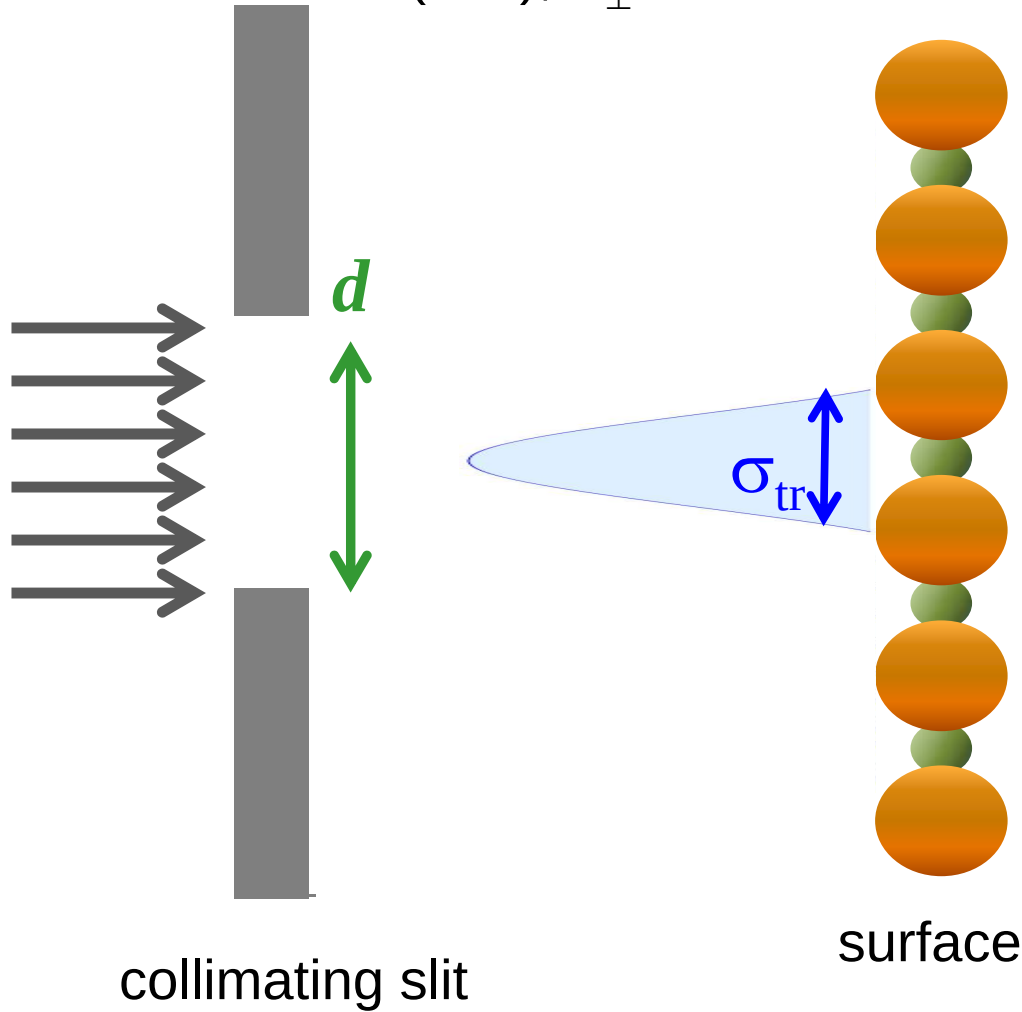


transversal coherence length

$$\sigma_{tr} = \frac{\lambda}{\sqrt{2}} \frac{L_c}{d}$$

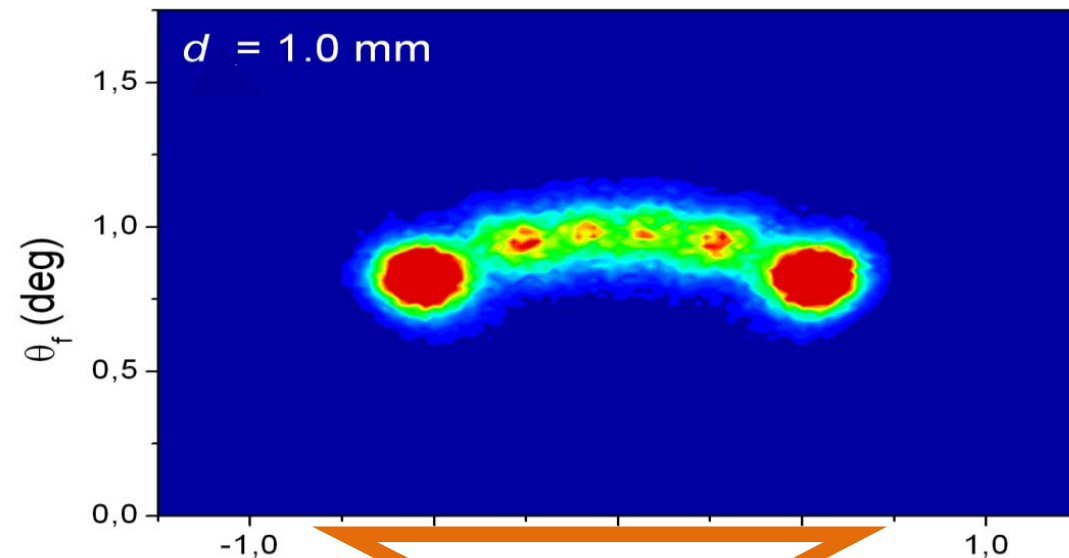
Transversal coherence: slit width

$^4\text{He} \rightarrow \langle 110 \rangle \text{LiF}(001)$, $E_{\perp} = 0.3 \text{ eV}$



surpernum. rainbows

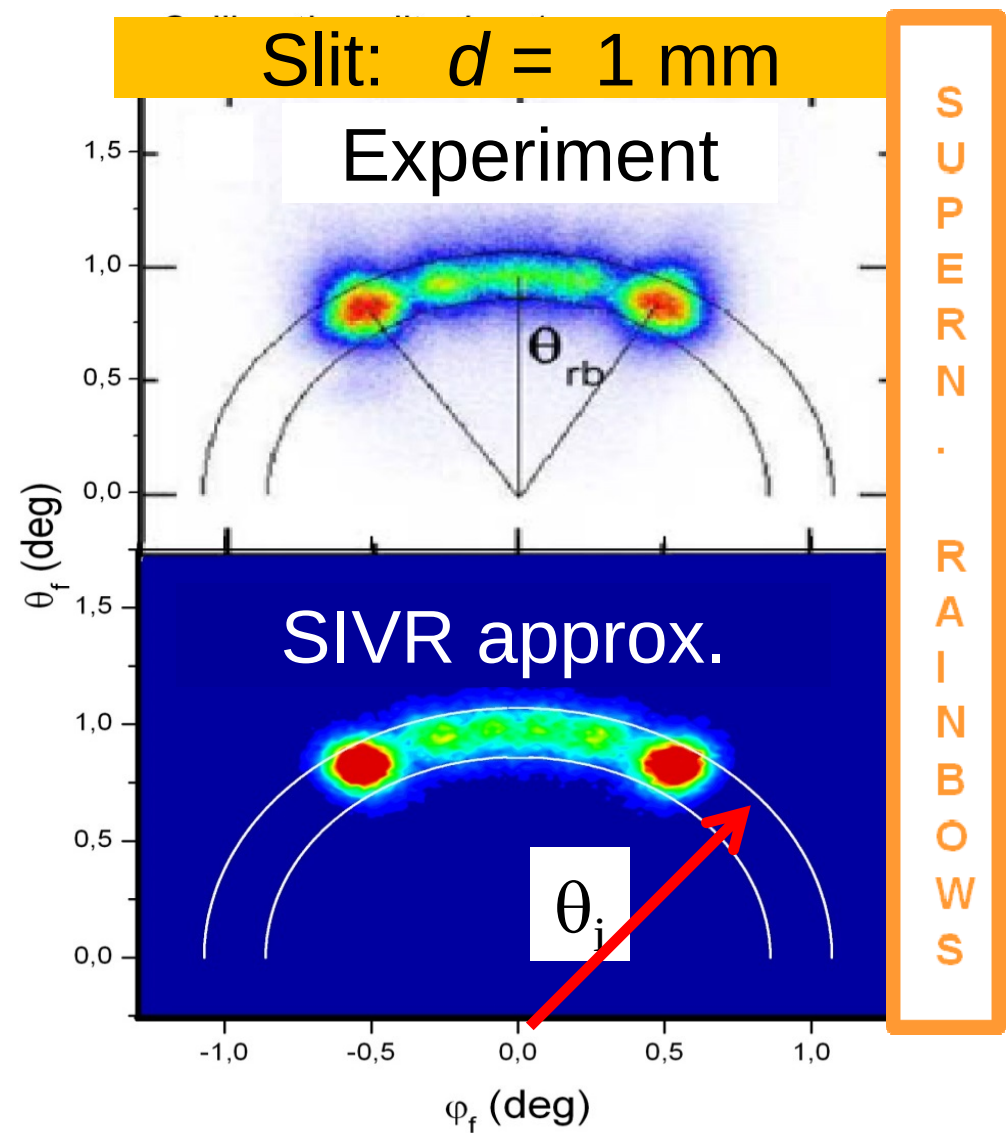
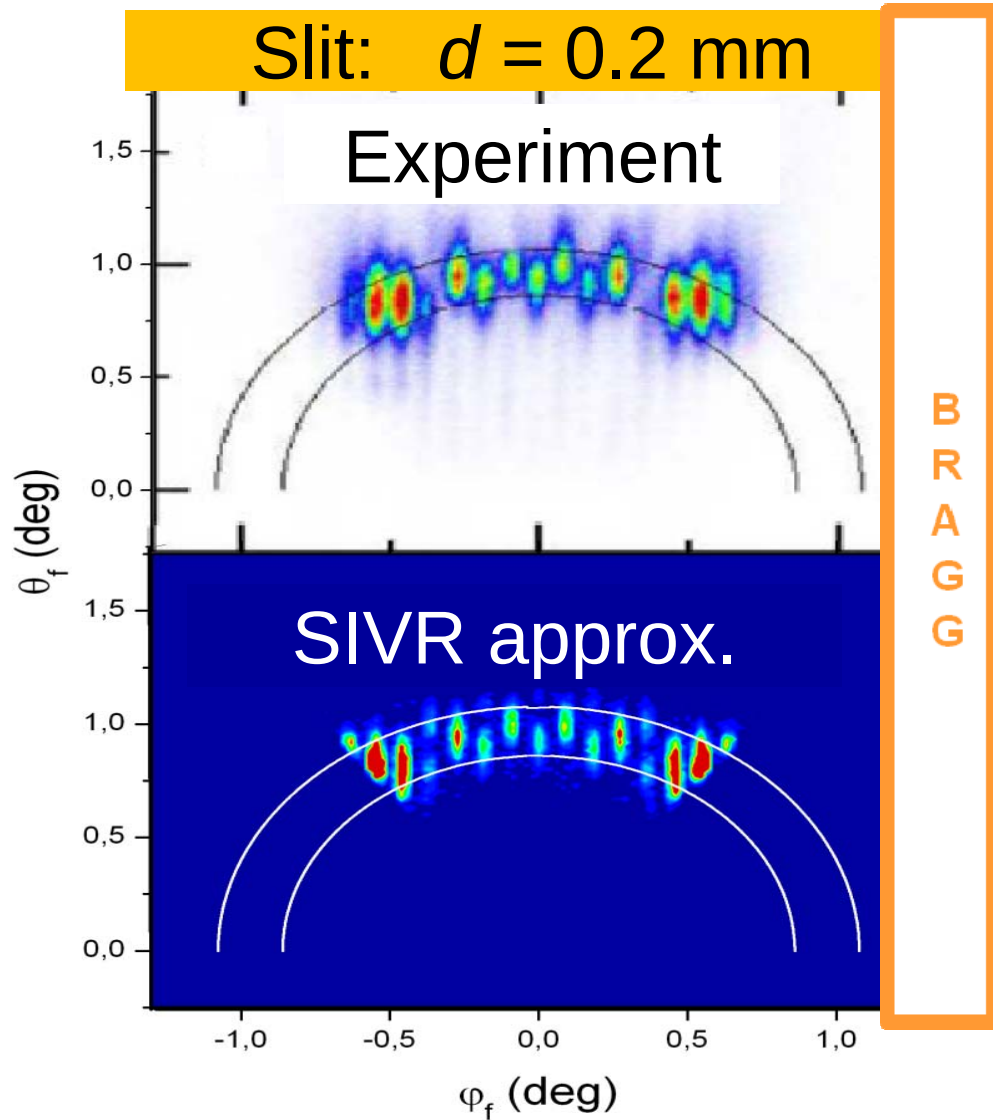
unit-cell interference



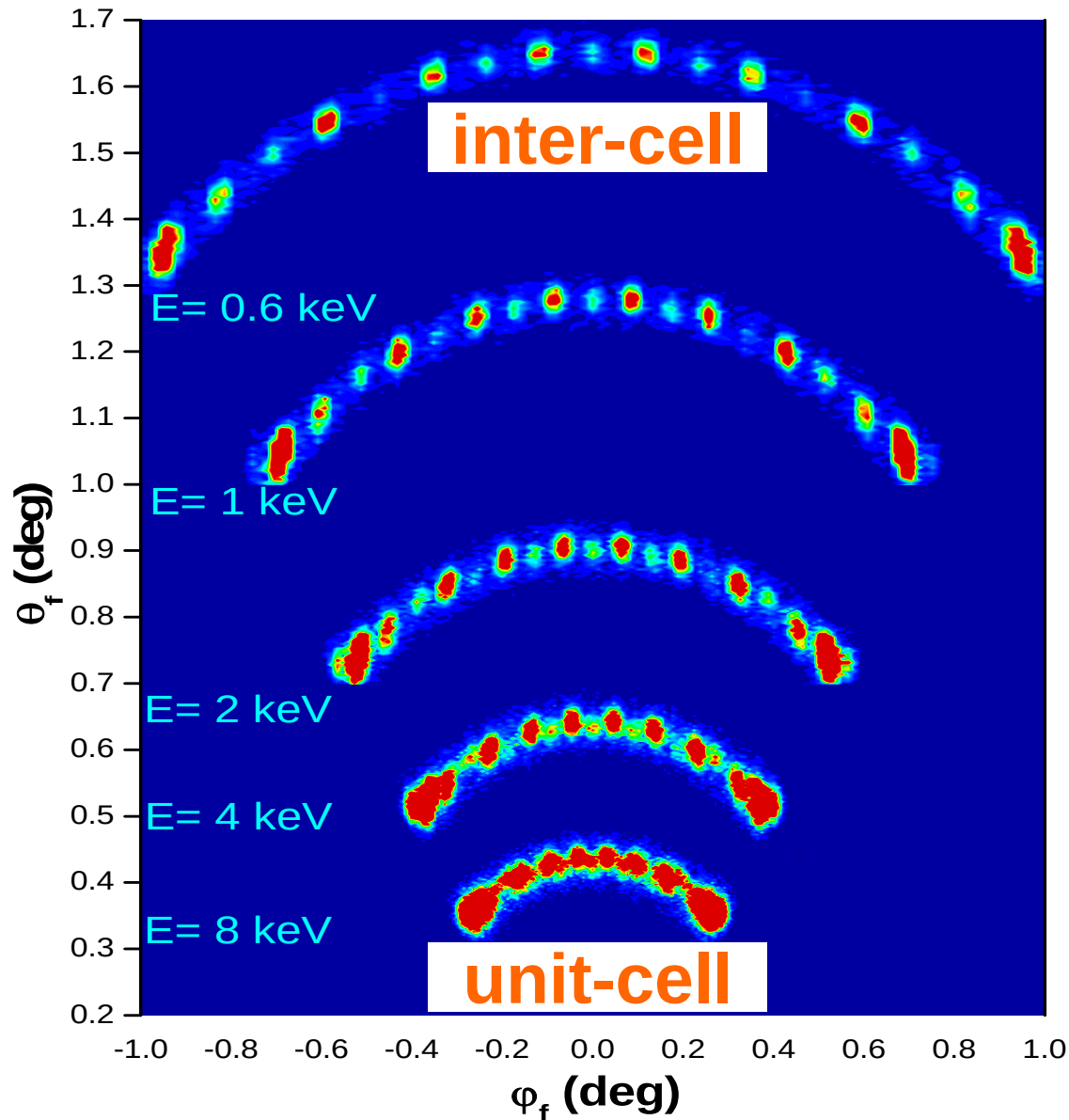
Corrugation of the potential
inter-cell interference

Experimental confirmation

$^4\text{He} \rightarrow \langle 110 \rangle \text{LiF}(001)$, $E_{\perp} = 0.3 \text{ eV}$



Transversal coherence: impact energy



$^4\text{He} \rightarrow \langle 110 \rangle \text{ LiF}(001)$ $E_{\perp} = 0.5 \text{ eV}$

Fixed collimation: $d = 0.2 \text{ mm}$

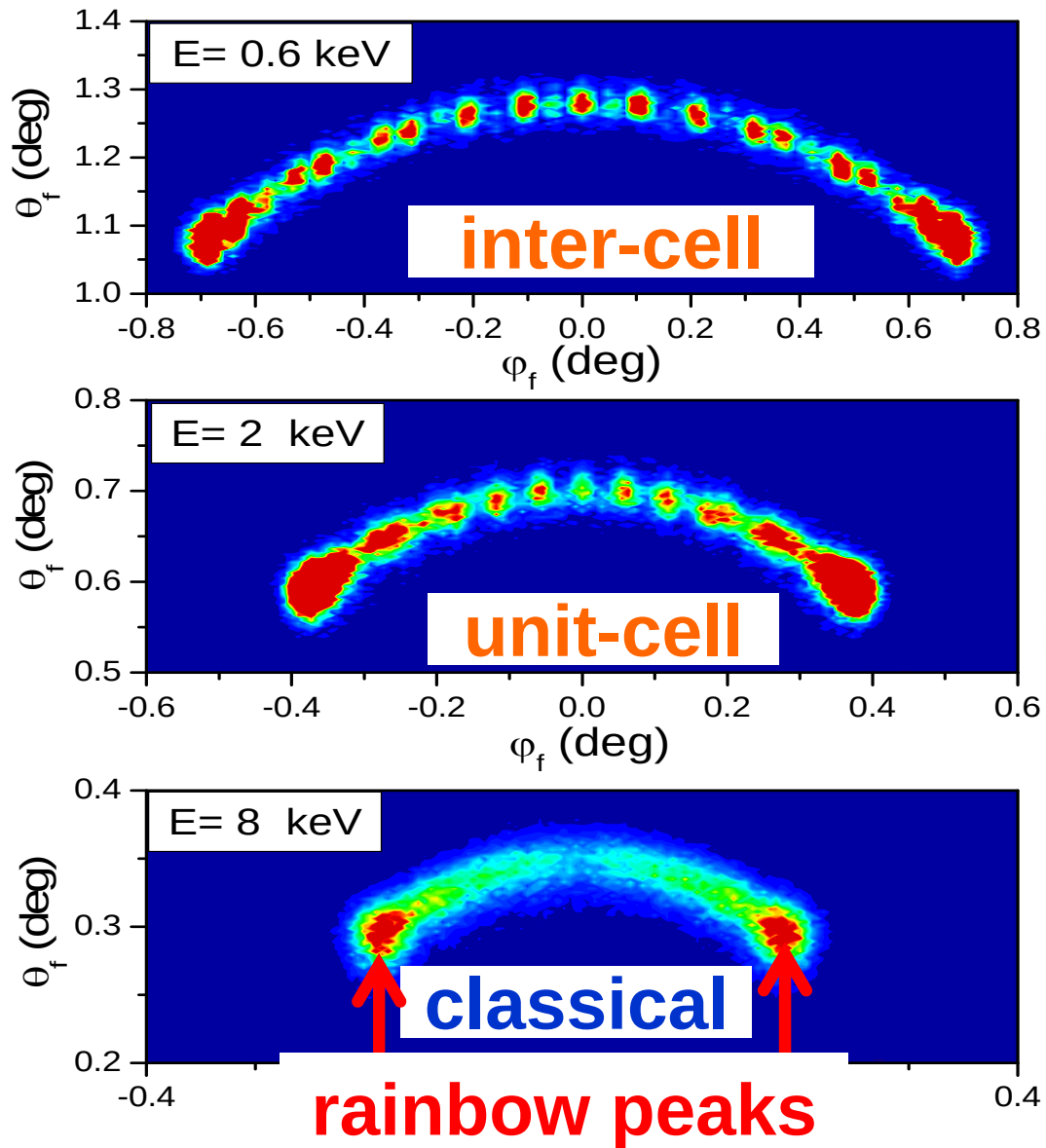
transversal coherence
length

$$\sigma_{tr} = \frac{\lambda}{\sqrt{2}} \frac{L_c}{d} \propto \frac{1}{\sqrt{E}}$$

Independent of:

- inelastic contributions
- detector resolution

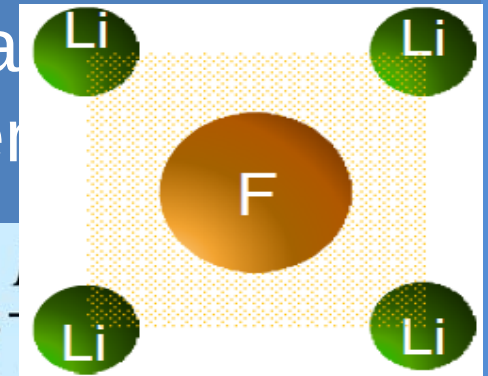
Transversal coherence: atomic mass



$^{20}\text{Ne} \rightarrow \langle 110 \rangle \text{LiF}(001)$, $E_{\perp} = 0.3$ eV

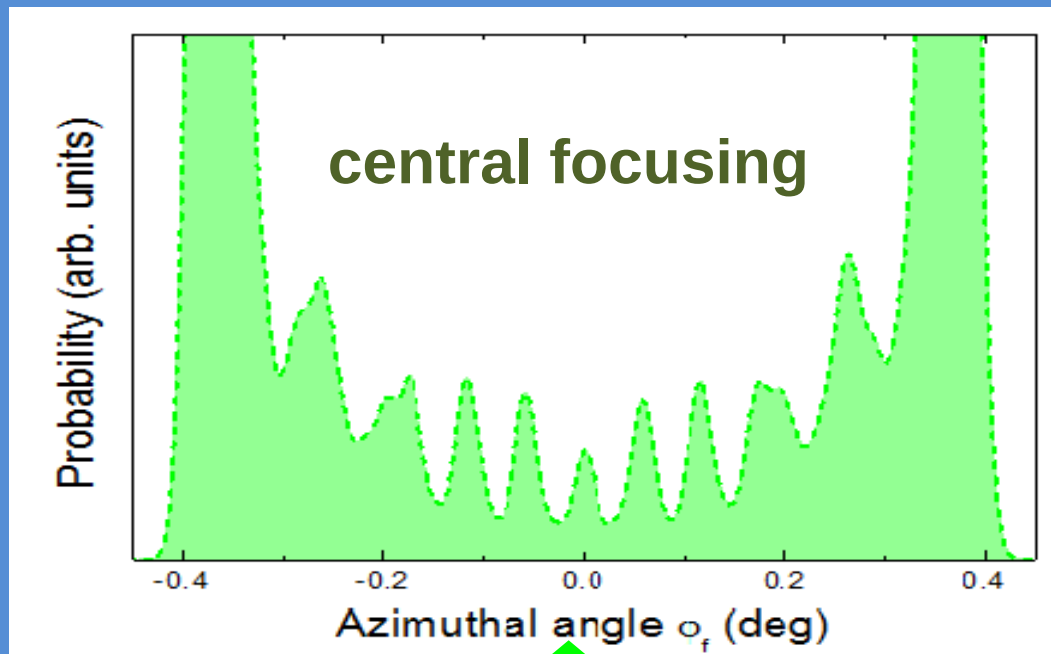
CRYSTAL SPOTTING

transversal coherence
supernum.
rainbows



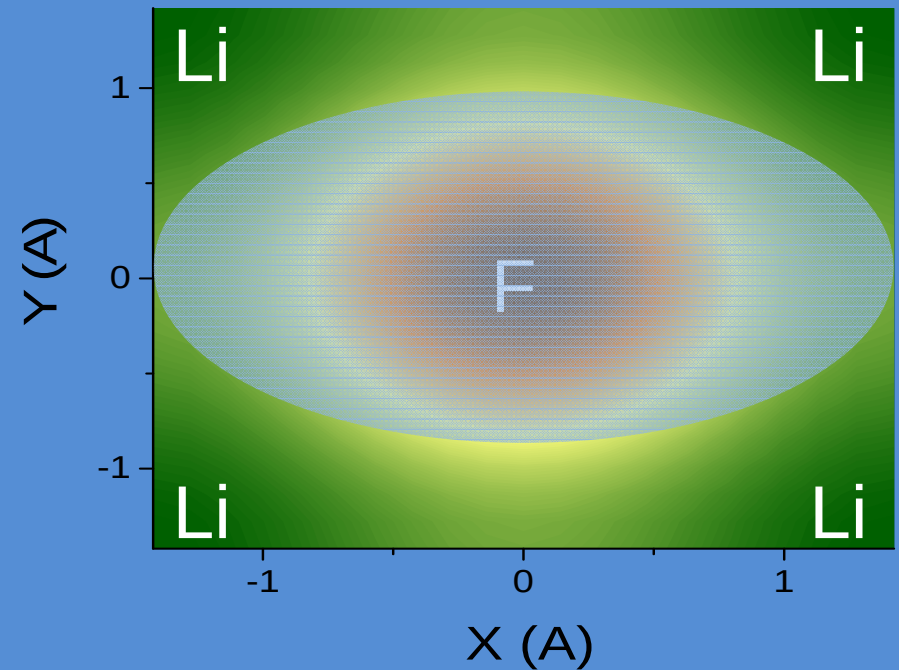
Crystal spotting

2 keV Ne $\rightarrow$ $\langle 110 \rangle$ LiF(001), $E_{\perp} = 0.3$ eV



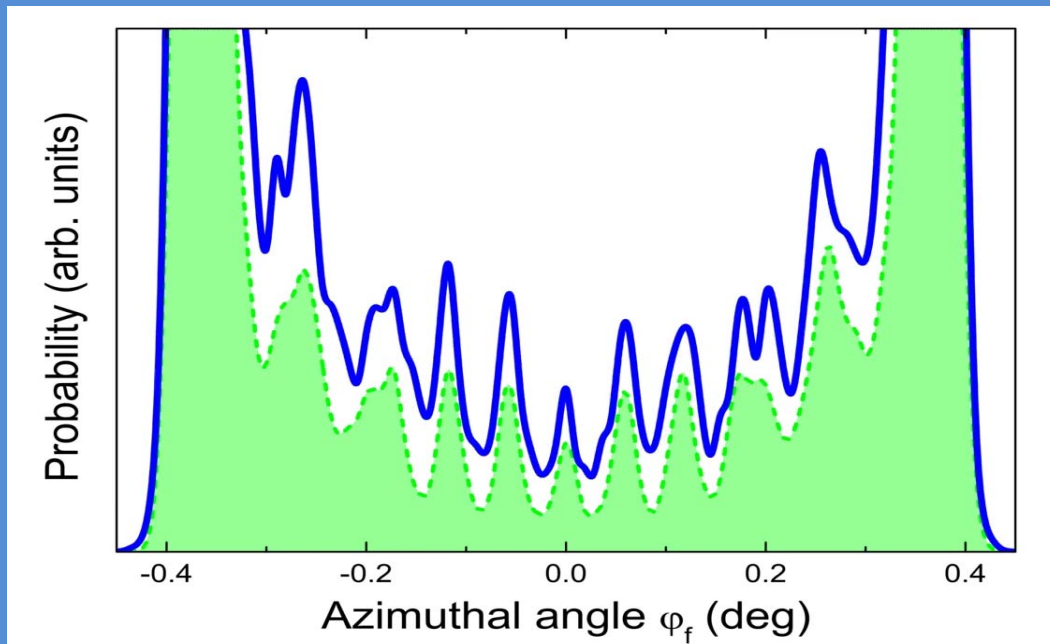
incidence direction

surface potential

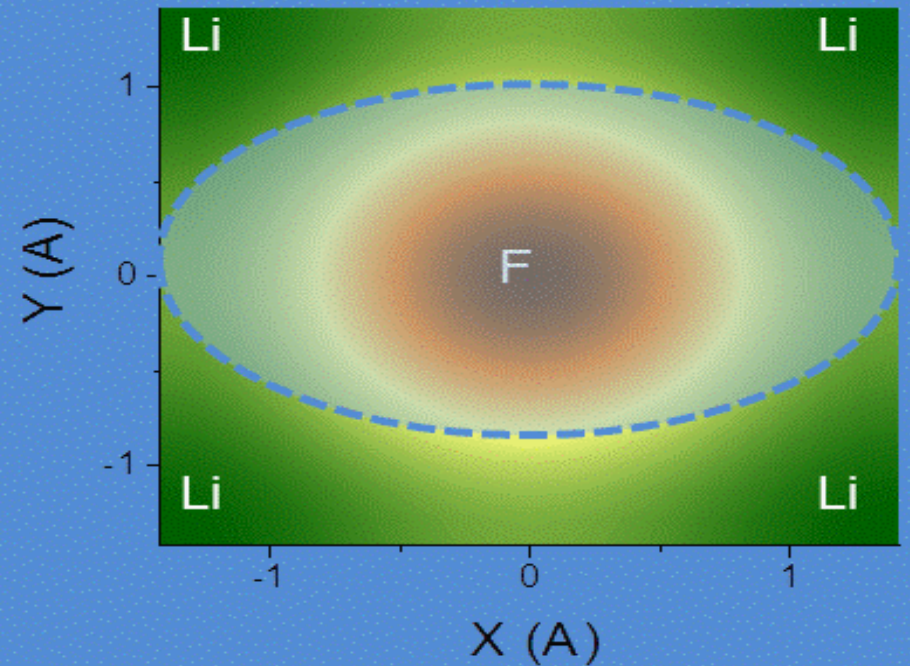


Crystal spotting

2 keV Ne $\rightarrow$ $\langle 110 \rangle$ LiF(001), $E_{\perp} = 0.3$ eV

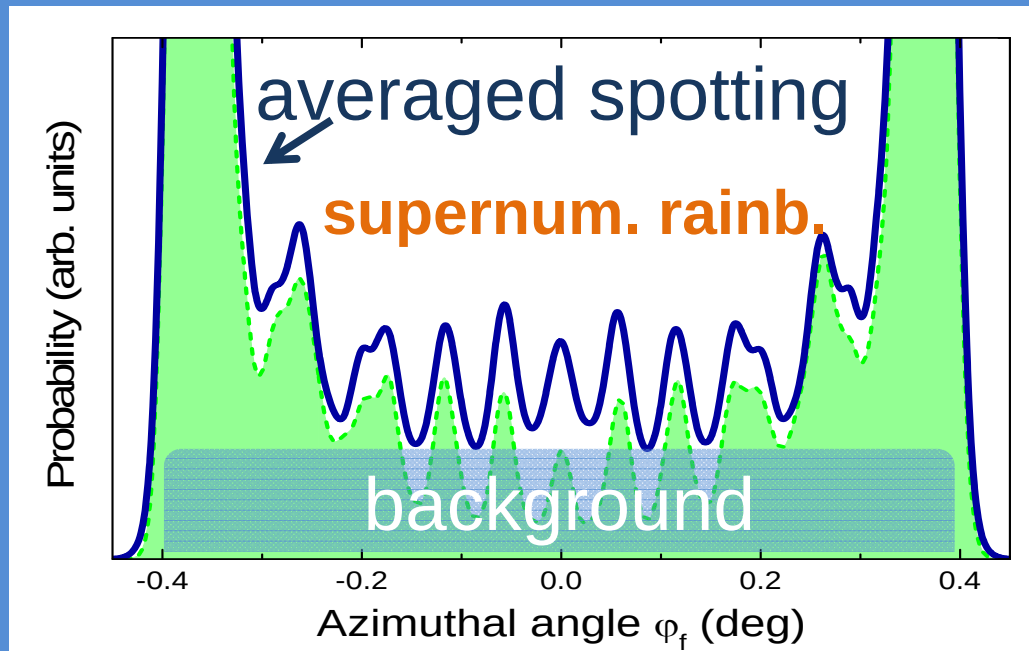


surface potential



Crystal spotting

2 keV Ne $\rightarrow$ $\langle 110 \rangle$ LiF(001), $E_{\perp} = 0.3$ eV



keeps peak positions

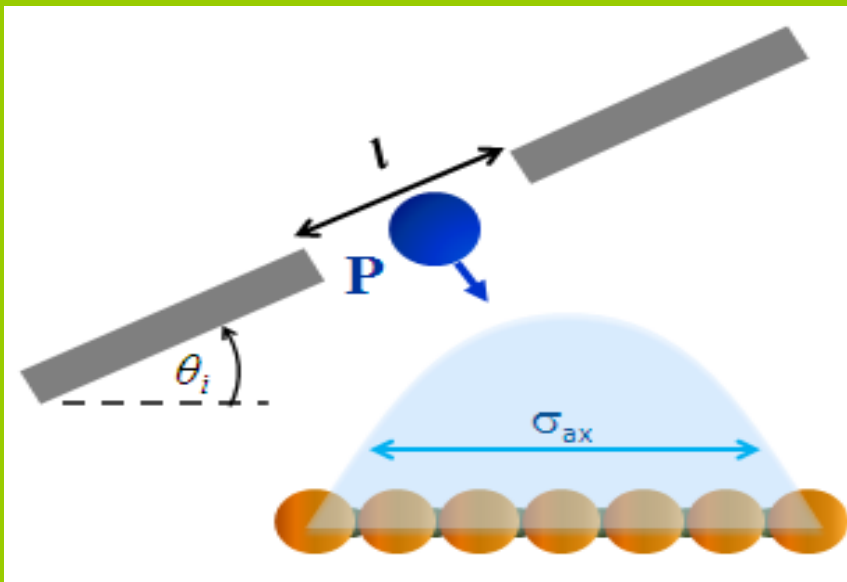
decoherent background

quasi-unit-cell interference

Several coherently lighted cells: negligible

Axial coherence: slit length

Initial wave-packet:
axial width

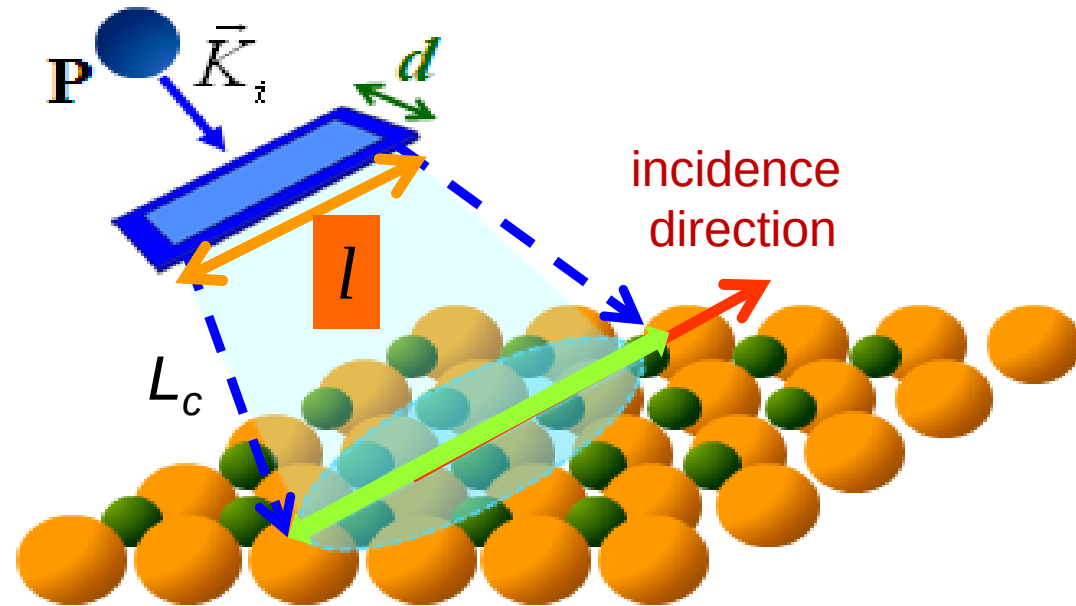


Uncertainty principle

$$\Delta X_o \Delta K_{ox} \approx 1$$

polar angle spread

$$\Delta\theta_o$$



$$\sigma_{ax} = \frac{\lambda_{\perp}}{\sqrt{2}} \frac{L_c}{l}$$

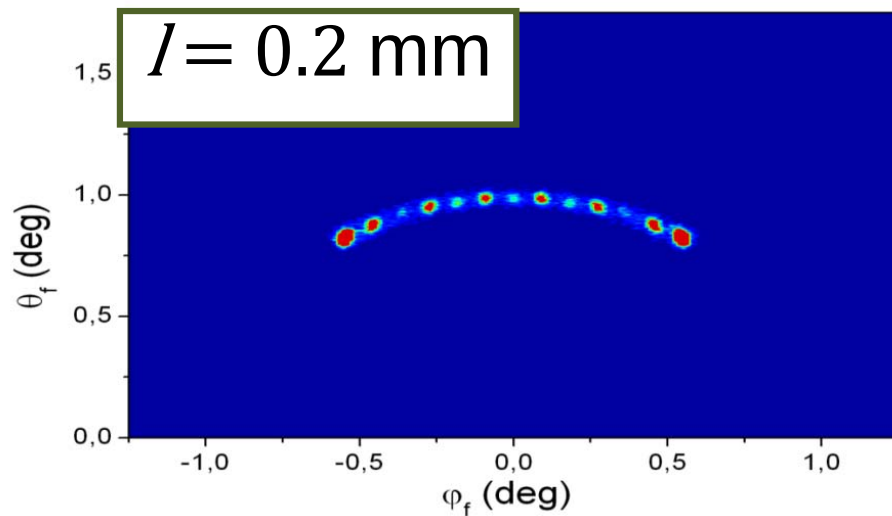
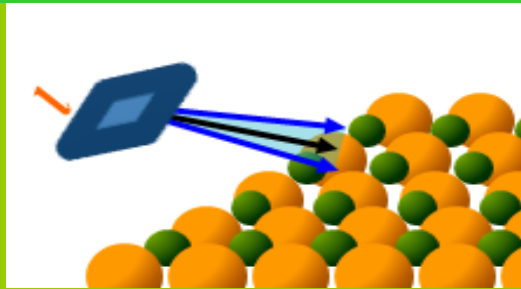
*axial coherence
length*

$$\lambda_{\perp} = 2\pi / (K_i \sin\theta_i)$$

perpendicular de Broglie wavelength

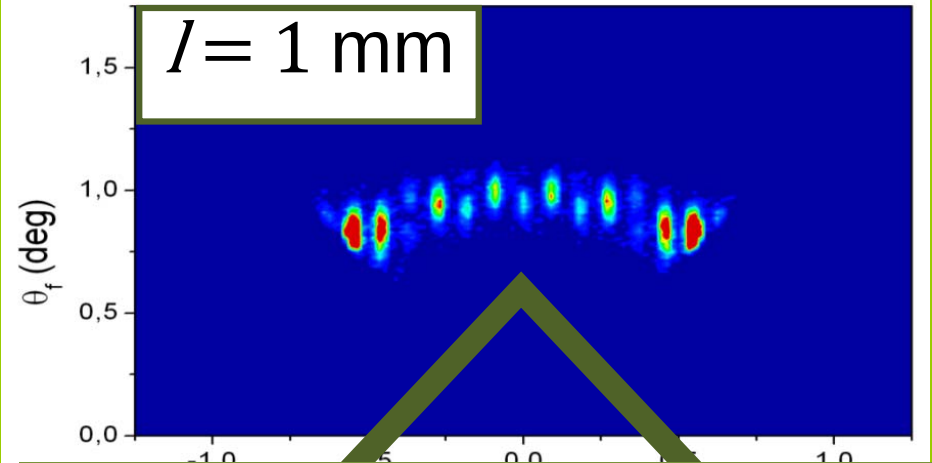
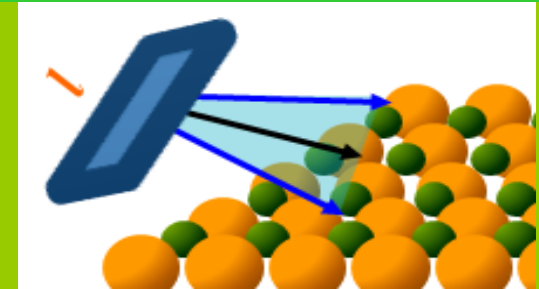
Slit length: normal momentum spread

small square slit



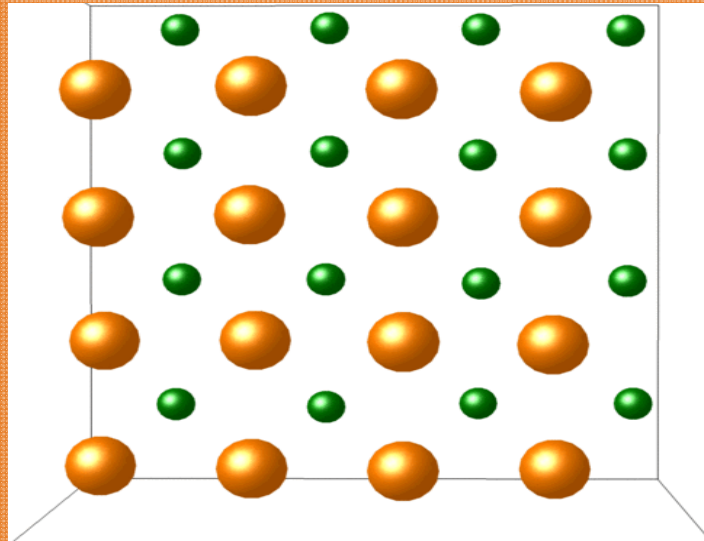
$^4\text{He} \rightarrow \langle 110 \rangle \text{LiF}(001)$, $E_{\perp} = 0.3$ eV

long rectangular slit



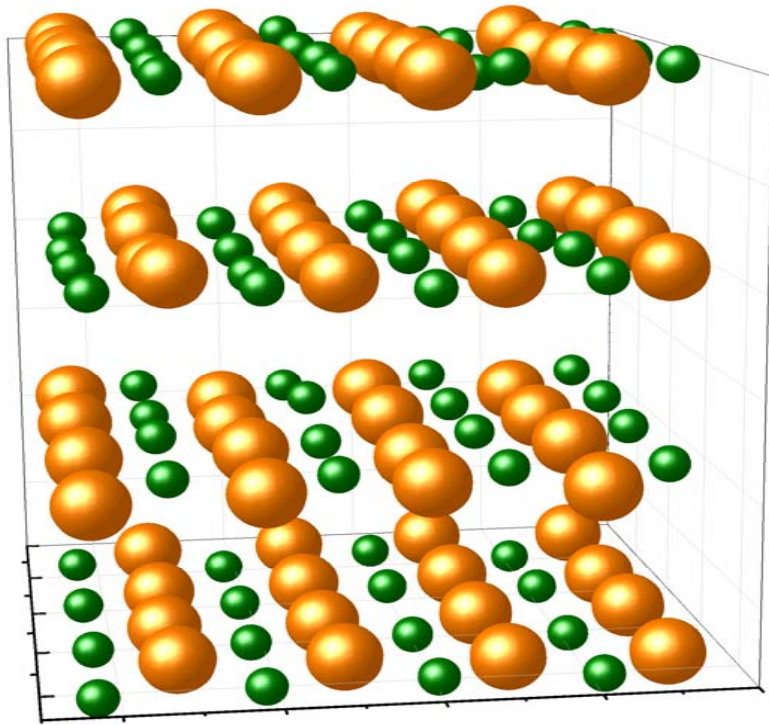
Probing different distances

DECOHERENT HEATING



Influence of the temperature

T= 300 K

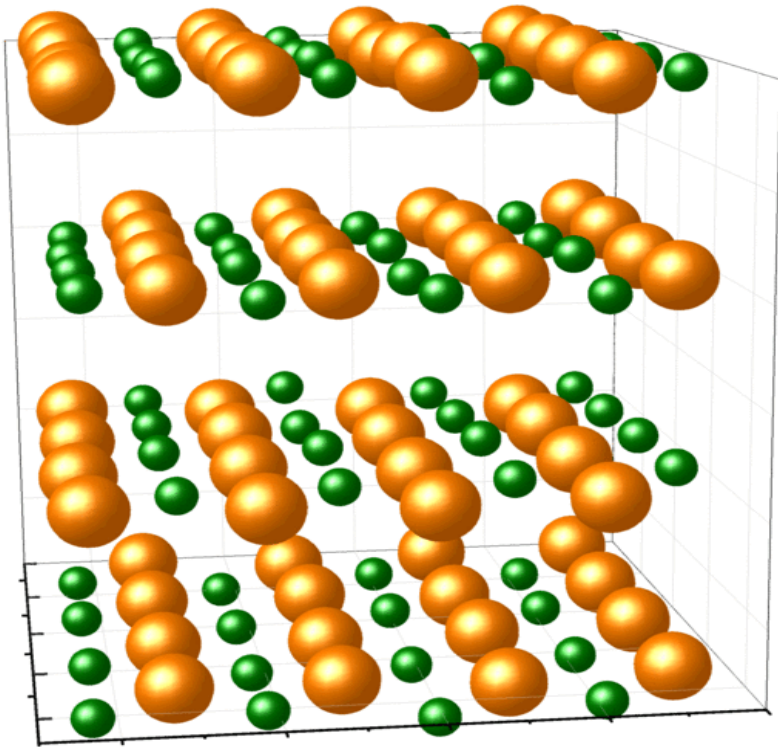


LiF(001)

$^{20}\text{Ne} \rightarrow \langle 110 \rangle \text{ LiF}(001), E_{\perp} = 0.3 \text{ eV}$

Influence of the temperature

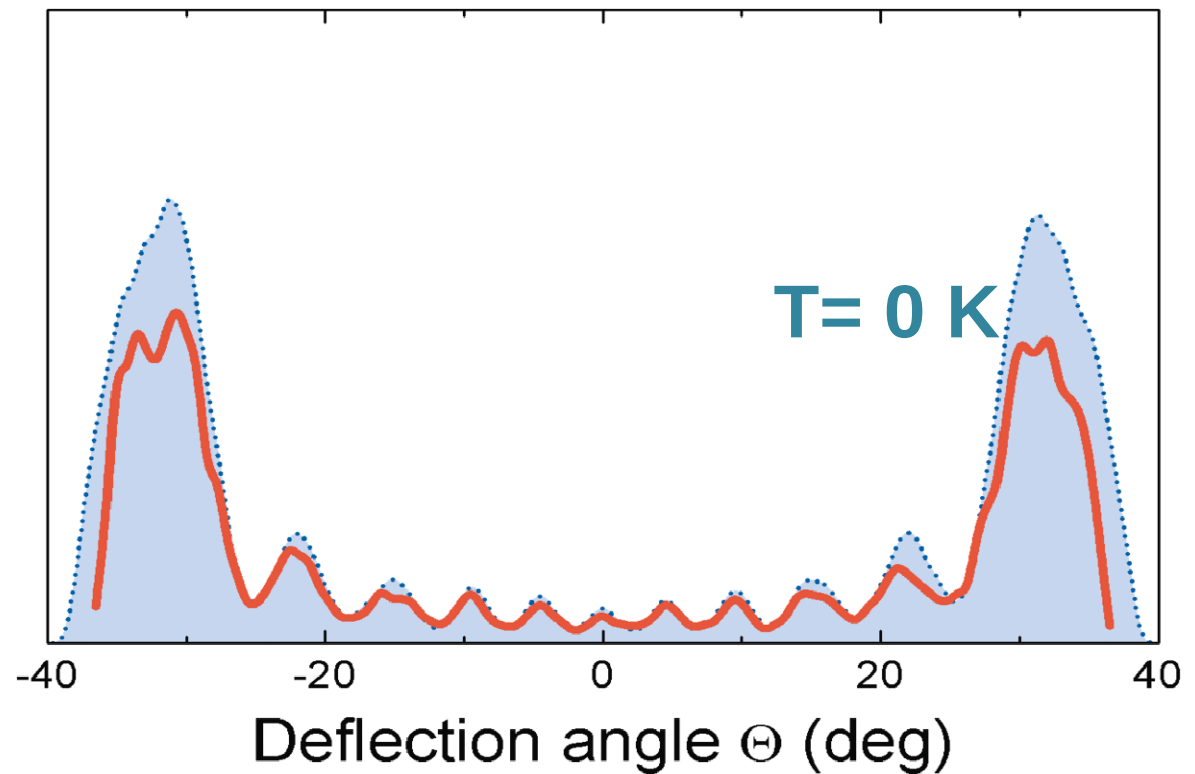
T= 300 K



LiF(001)

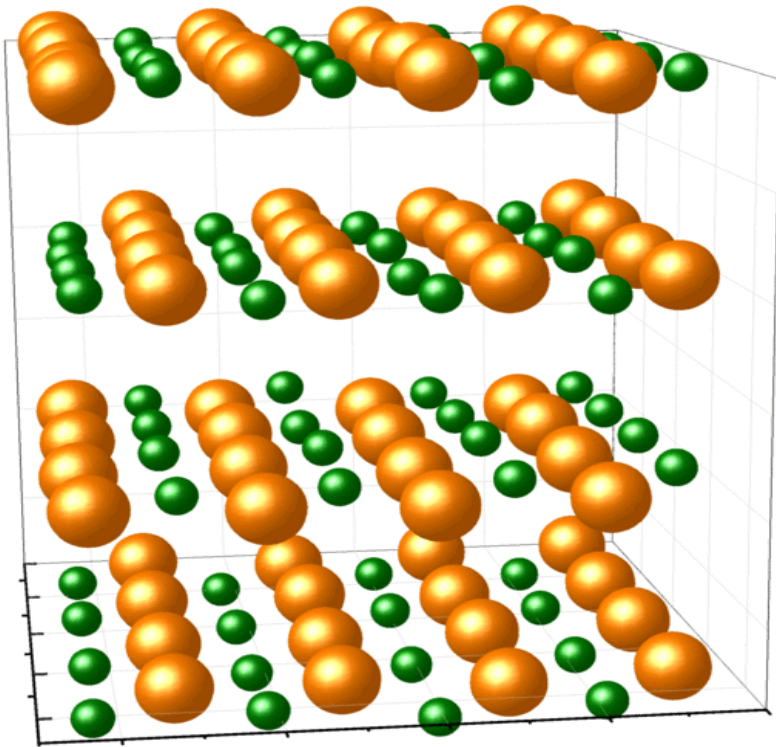
$^{20}\text{Ne} \rightarrow \langle 110 \rangle \text{LiF}(001), E_{\perp} = 0.3 \text{ eV}$

Probability (arb. units)



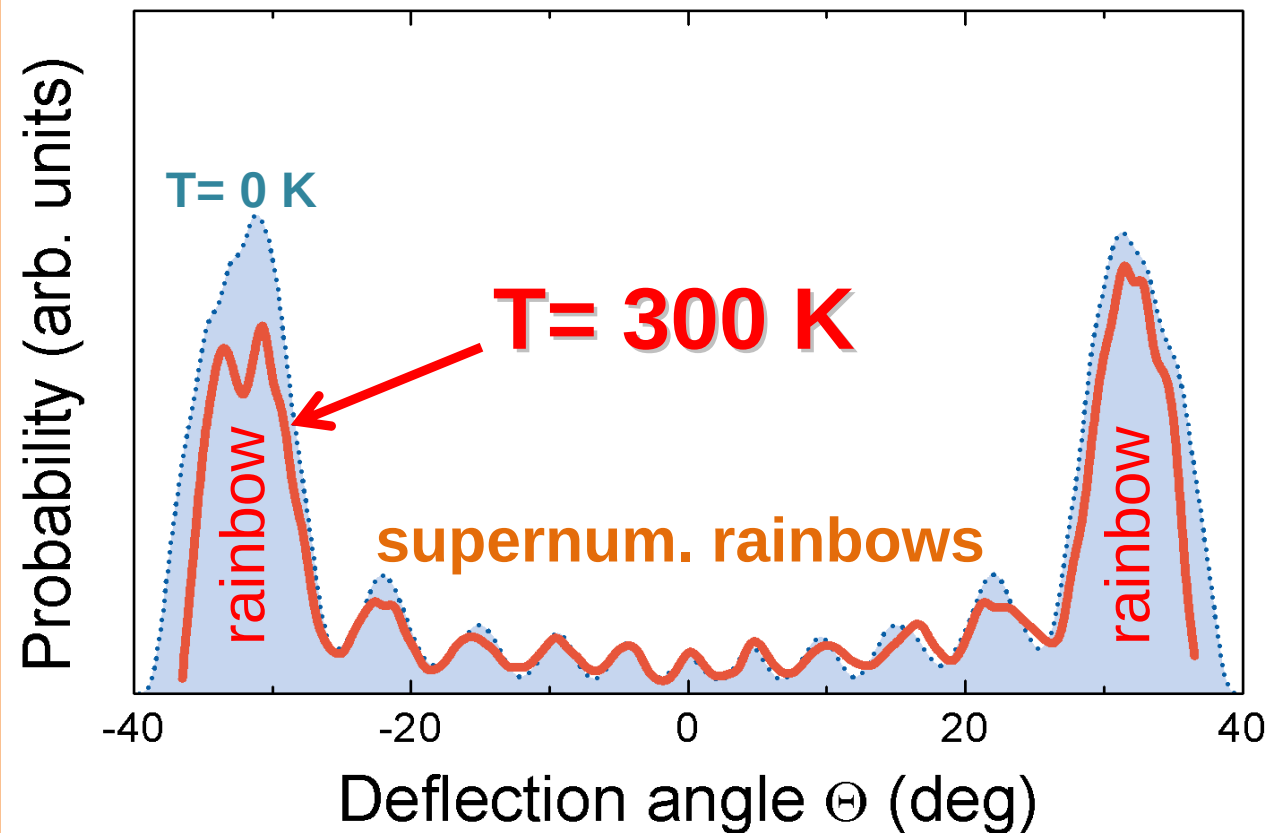
Influence of the temperature

T= 300 K



LiF(001)

$^{20}\text{Ne} \rightarrow \langle 110 \rangle \text{LiF}(001), E_{\perp} = 0.3 \text{ eV}$

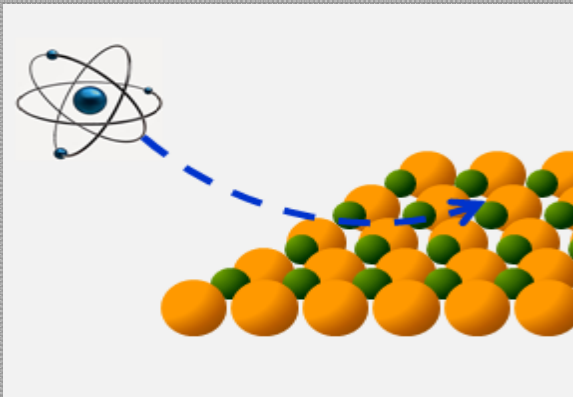


L

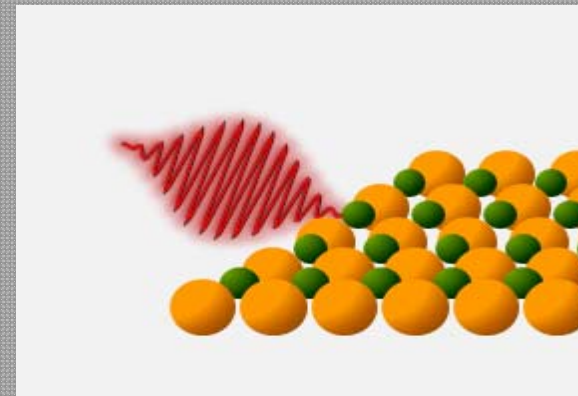
Manson *et al.*, Phys. Rev. B **78** (2008)

Aigner *et al.*, J. Phys. Conf. Ser. **133** (2008)

SURFACE ANALYSIS



Atoms



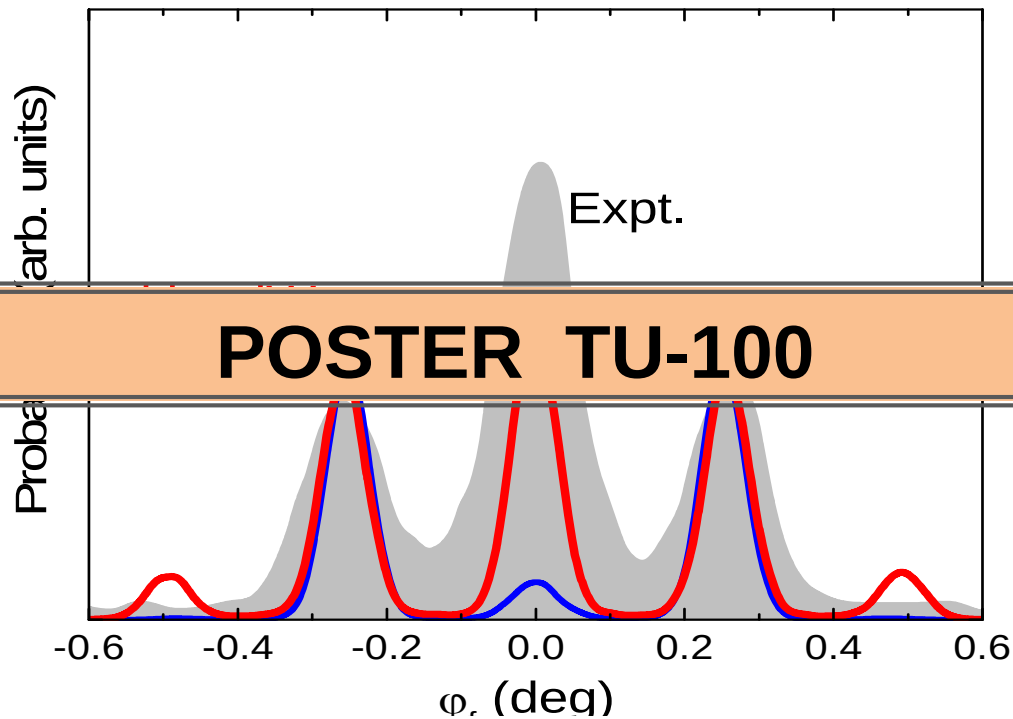
Laser pulses

SURFACE ANALYSIS

ATOMS



van der Waals effects



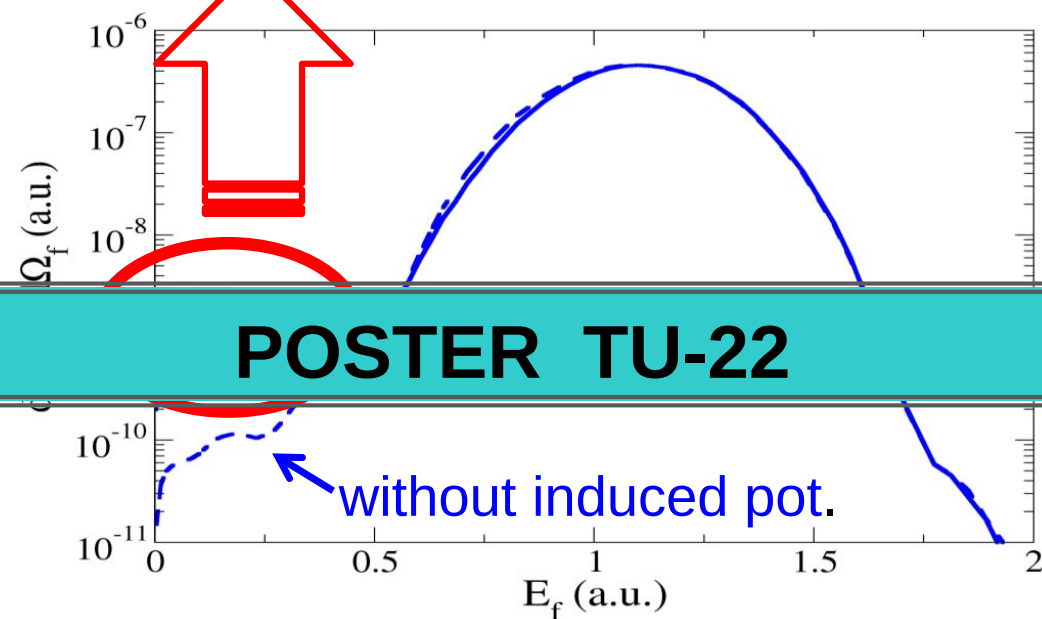
POSTER TU-100

H $\rightarrow$ $\langle 100 \rangle$ LiF(001), $E_{\perp} = 0.3$ eV

Bocan et al., Phys. Rev. A **94** (2016) 022711

LASER PULSES

surface electronic states



POSTER TU-22

XUV pulse $\rightarrow$ Al(001), $\omega = 1.5$ a.u.

Ríos Rubiano et al., Phys. Rev. A **94** (2016) 022711

FINAL REMARKS

SIVR
approach

Semi-quantitative

- very good
- intuitive

coherent
lighting

- governed
- depends

collimating
slit

- wide
- length

decoherent
heating

- broadens

**COHERENCE
for
DIFFERENT TARGETS:**

clusters
molecules
atoms

patterns

conditions

classic

COLLABORATORS

ATOMS:

- J. Miraglia
- G. Bocan
- J. Fuhr

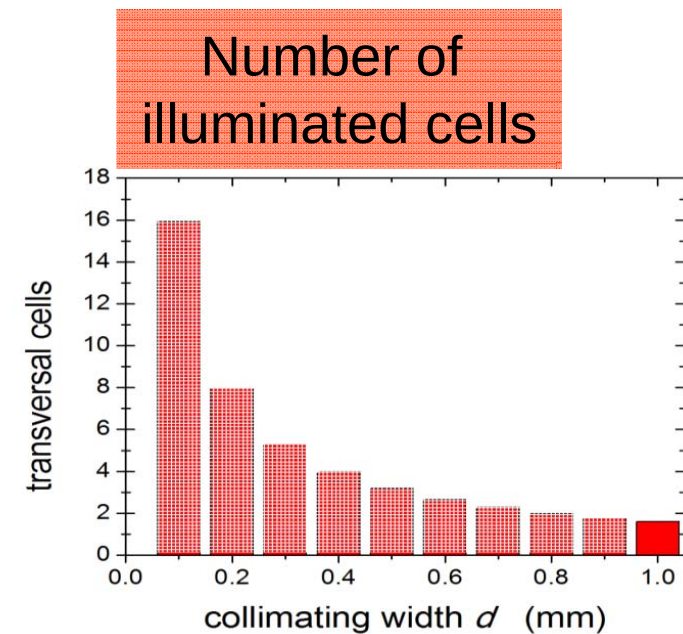
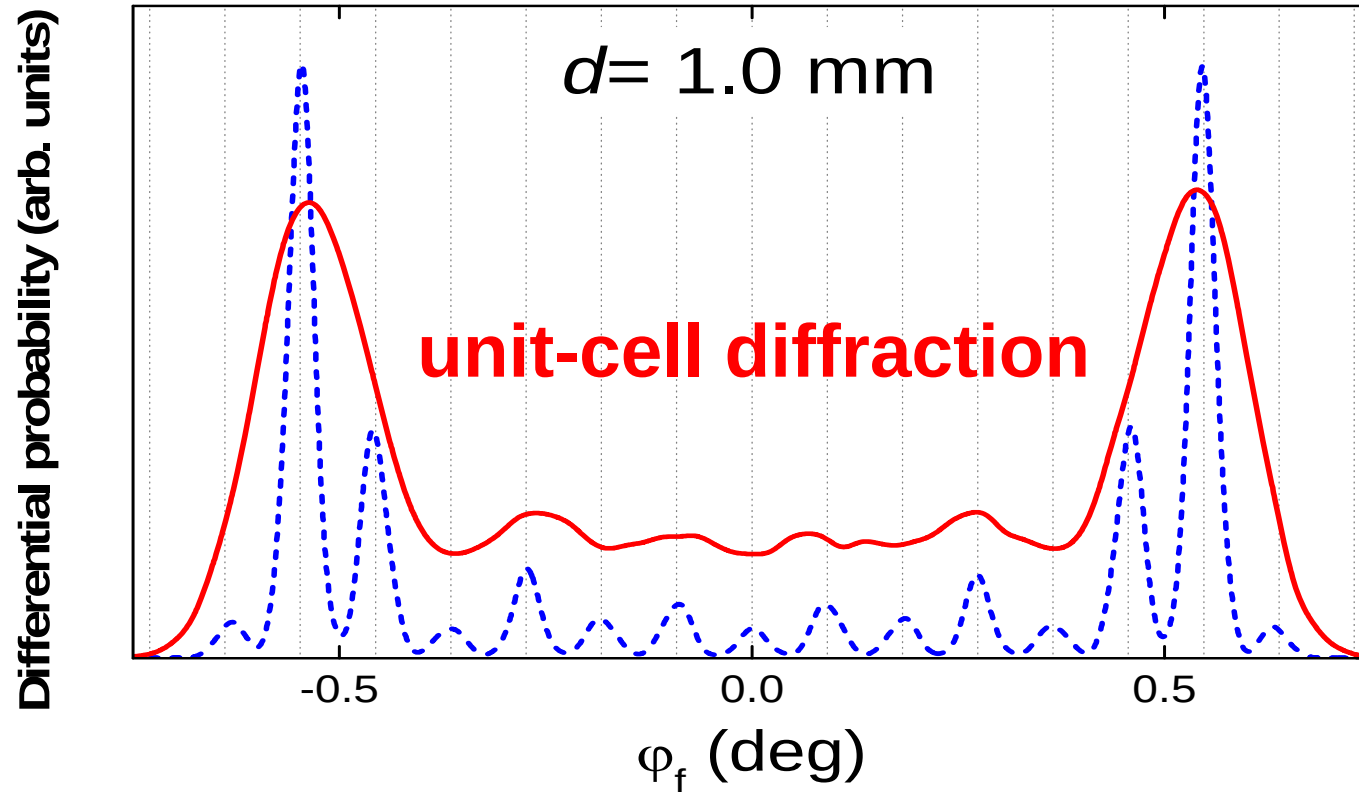
LASER PULSES:

- C. Ríos Rubiano
- R. Della Picca
- D. Mitnik
- V. Silkin (Spain)

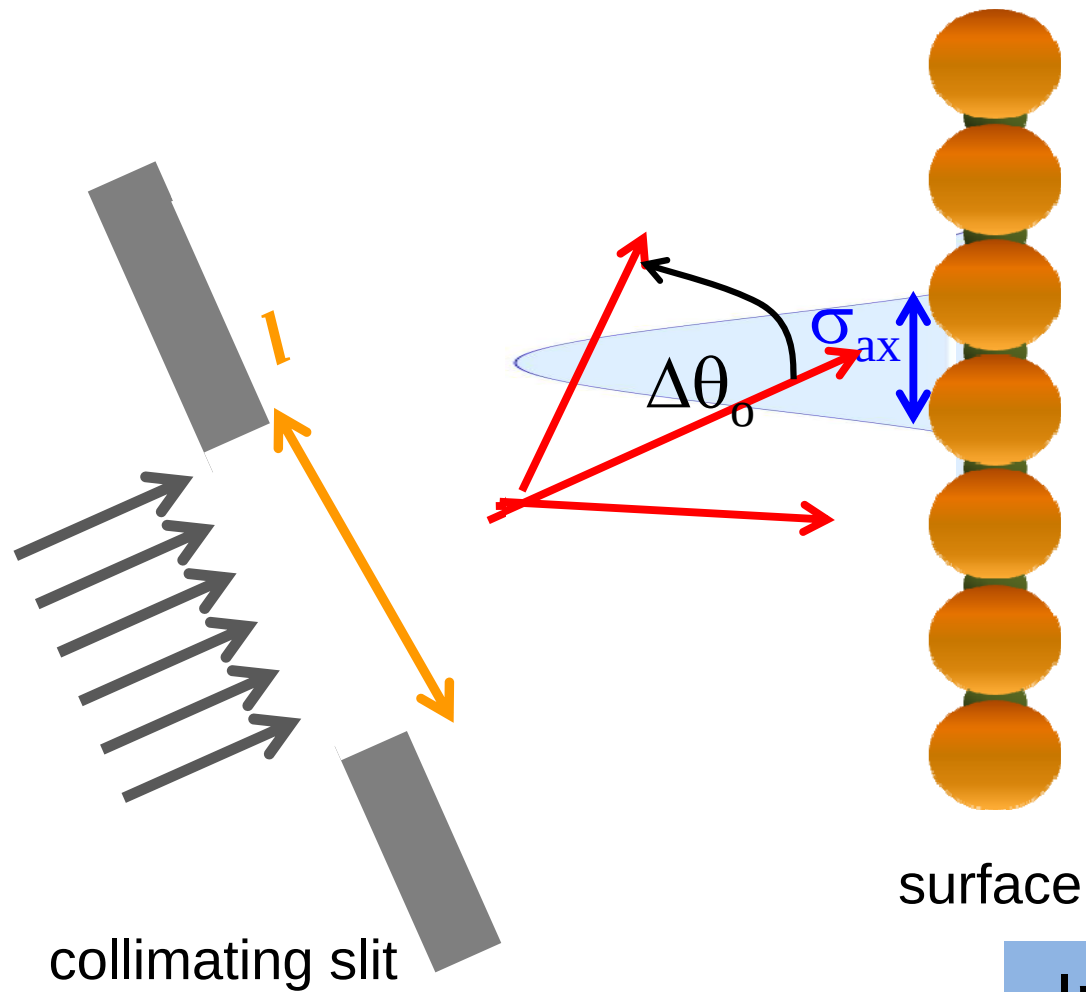
THANKS FOR THE ATTENTION

FAD spectra vs. slit width

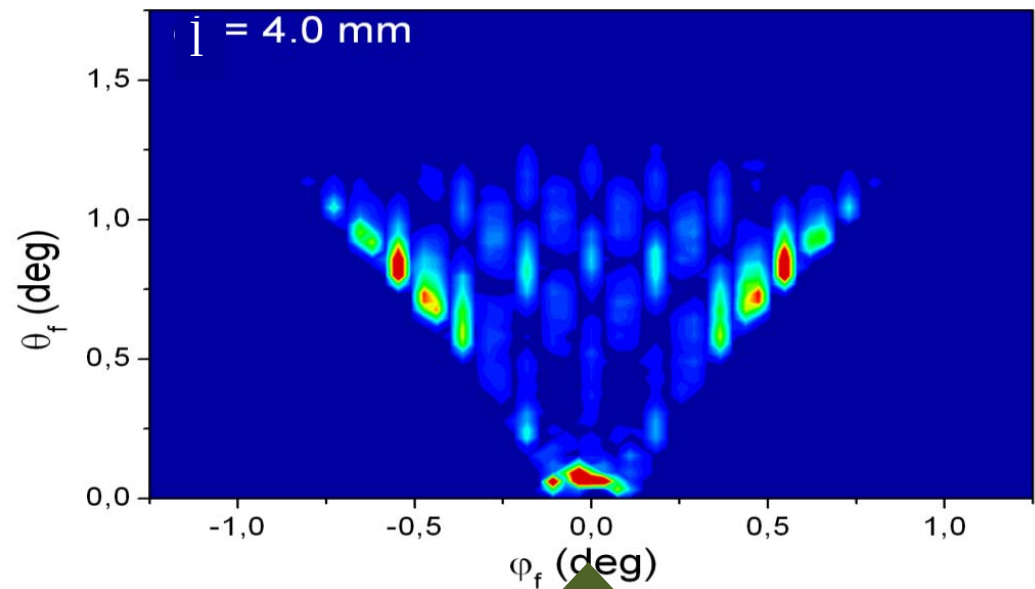
$^4\text{He} \rightarrow \langle 110 \rangle \text{LiF}(001)$, $E = 1 \text{ keV}$, $\theta_i = 0.99 \text{ deg}$



Slit length: normal momentum spread



$^4\text{He} \rightarrow \langle 110 \rangle \text{LiF}(001)$, $E_\perp = 0.3 \text{ eV}$



Incident

To probe different distances

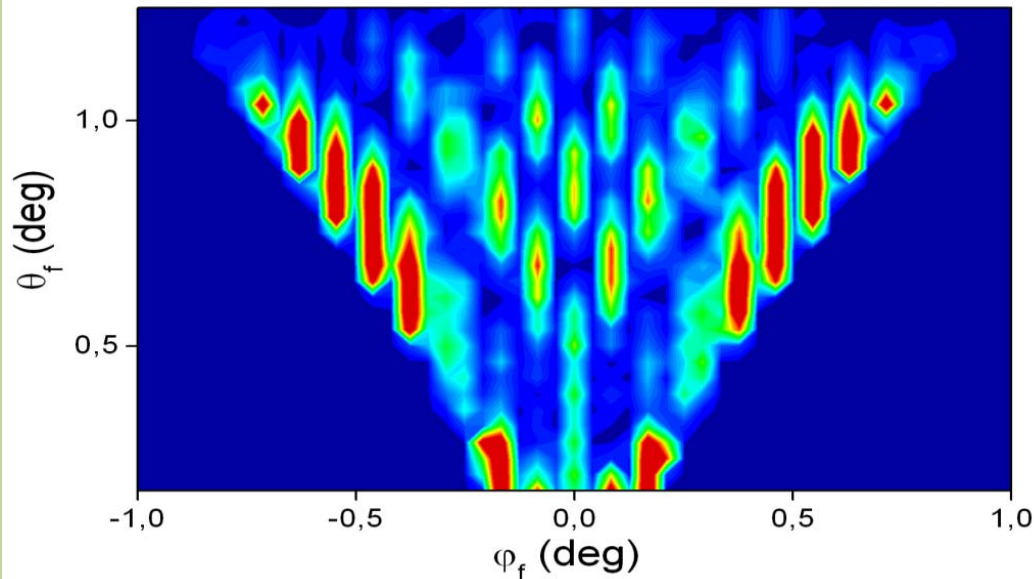
Long slit collimation vs. diffraction chart

Angular spectrum

Long slit : $l = 5 \text{ mm}$

Useful for probing potentials

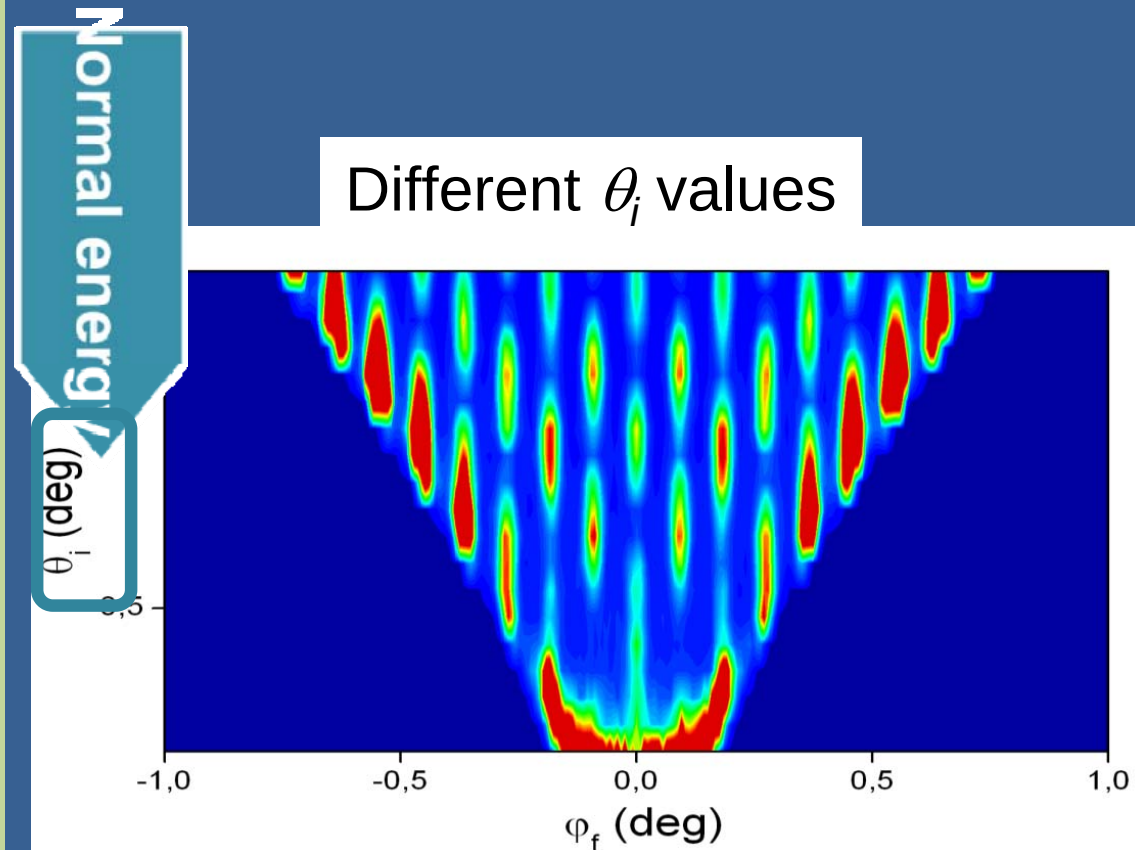
Fixed θ_i



Diffraction chart

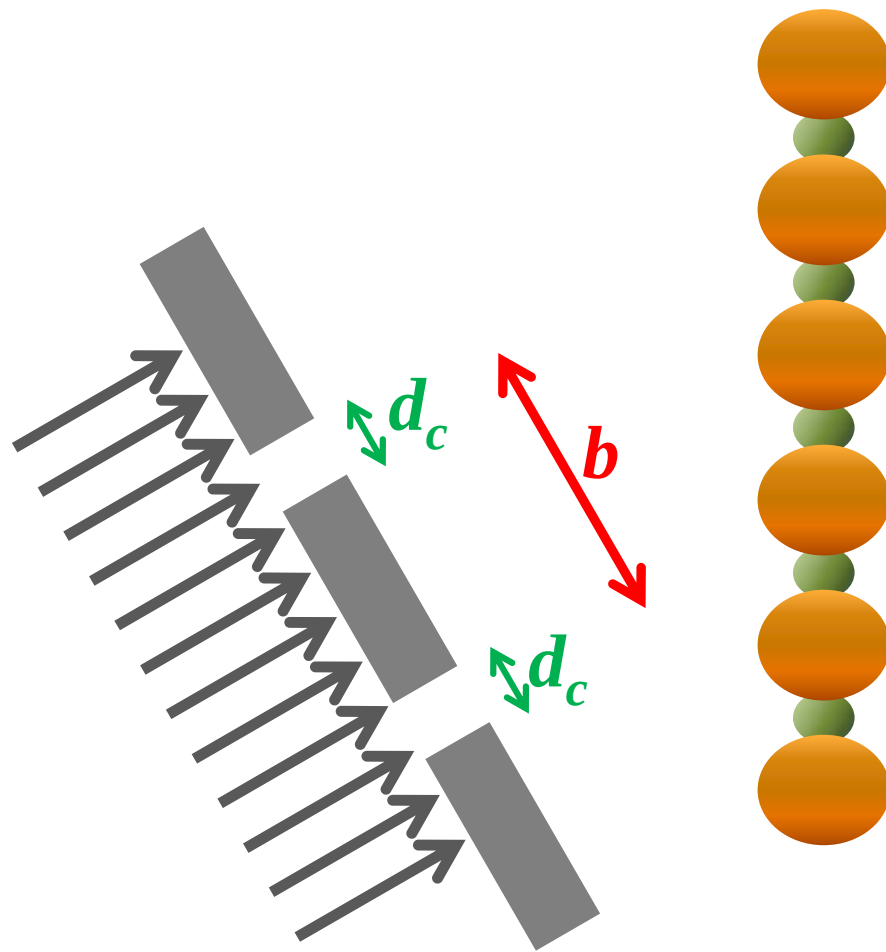
Short slit : $l = 0.2 \text{ mm}$

Different θ_i values



1 keV ^4He $\rightarrow$ $\langle 110 \rangle$ LiF(001) Gravielle *et al.*, Nucl. Instr. Meth. B **382** (2016)

DOUBLE SLIT COLLIMATION



$^4\text{He} \rightarrow \langle 110 \rangle \text{LiF}(001)$, $E = 1 \text{ keV}$, $\theta_i = 0.99 \text{ deg}$

Double slit: $d = 0.2 \text{ mm}$, $l = 0.2 \text{ mm}$

